

Uerwäis 3.10

$$A = \pi \frac{l^2}{4} - \pi \frac{d^2 l^2}{4} = \pi \frac{l^2}{4} (1 - d^2)$$

$$W_{xx} = W_{yy} = \frac{\pi}{32} l^3 (1 - d^4)$$

$$W_p = \frac{\pi}{16} l^3 (1 - d^4)$$

• N alla sezione incastrata

$$N = 0 \rightarrow \sigma_{NA} = 0 \text{ e } \sigma_{NB} = 0$$

• M_f alla sezione incastrata

$$M_{f(AB)yy} = 0 \rightarrow \sigma_{f(AB)} = 0$$

$$M_{f(B)xx} = 2 \cdot F \cdot \lambda l \rightarrow \sigma_{f(B)} = - \frac{2 \cdot F \cdot \lambda l}{W_{yy}} \text{ (negativo perché compressivo)}$$

• T alla sezione incastrata

$$T = 2F$$

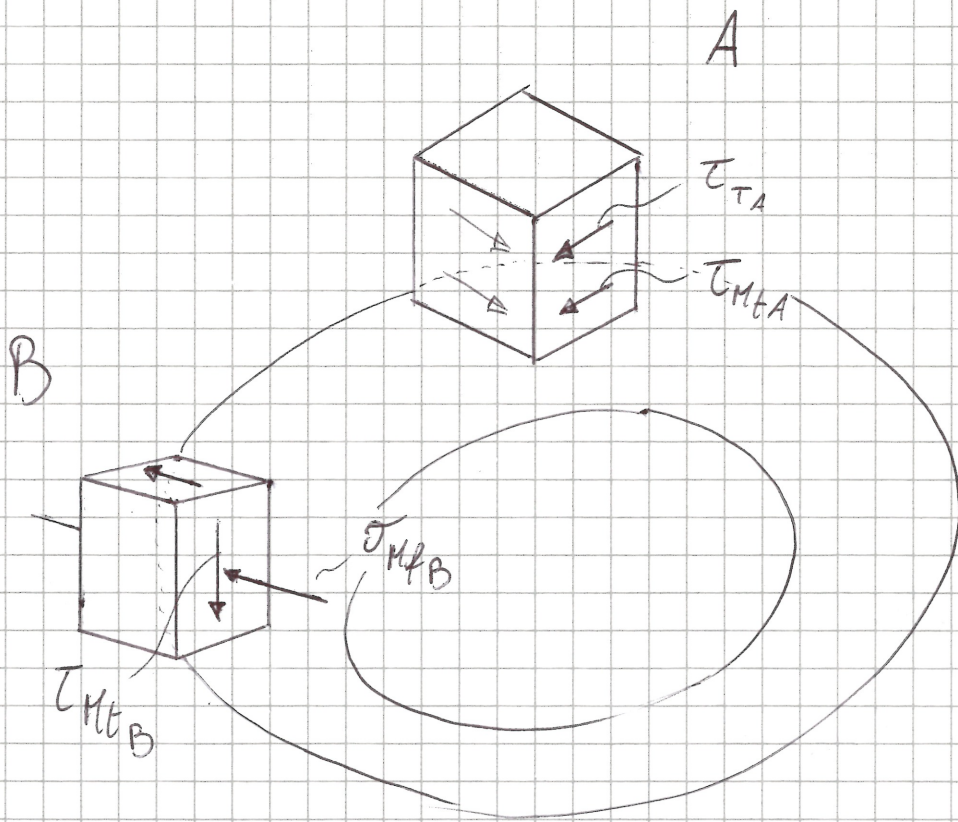
$$\tau_{TB} = 0; \quad \tau_{TA} = \frac{2F}{A} \cdot \frac{4}{3} \cdot \left(1 + \frac{1}{\frac{1}{d} + d} \right)$$

Jourawsky

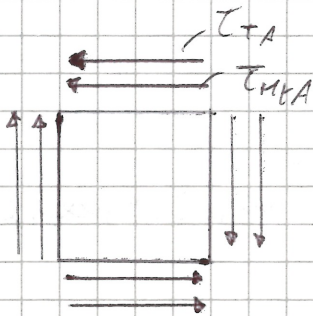
• M_f alla sezione incastrata

$$M_f = F \cdot \beta l$$

$$\tau_{MfA} = \tau_{MfB} = \frac{F \cdot \beta l}{W_p}$$

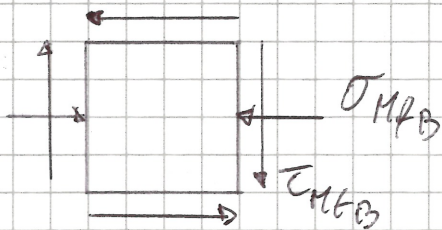


A)



$$\sigma_{1,2} = \frac{0+0}{2} \pm \sqrt{\left(\frac{0-0}{2}\right)^2 + (\tau_{TA} + \tau_{MBA})^2}$$

B)



$$\sigma_{1,2} = \frac{\sigma_{MBA} + 0}{2} \pm \sqrt{\frac{\sigma_{MBA} - 0}{2} + (\tau_{MBB})^2}$$

che ha valore negativo
perché compressivo